

3.1 Functions and Relations Guided Notes

Name Key

Relation: A set of ordered pairs

Function: A relation in which every input has one output!

** $x = 1y$

Function or not a function?

Ex 1: Determine if each of the following represents a function.

1. $(0,3), (1,3), (5,4), (6,2)$ *can be repeated outputs.*

yes, every input has only one output!

2. $(2,4), (3,7), (4,4), (2,6)$

No! $x=2$ has two outputs

3.

x	y
0	4
1	7
2	8
3	4
4	3

yes

4.

x	y
2	3
6	4
7	5
8	6
2	7

No!

5.

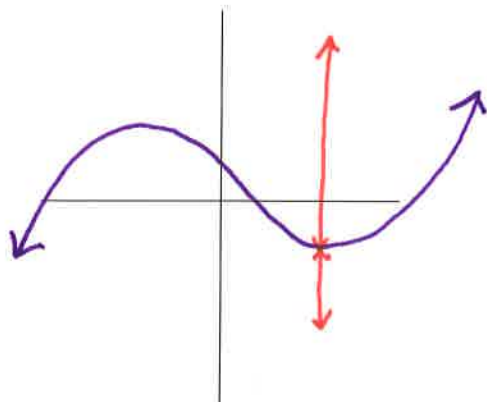
x	y
-3	2
4	2
6	2
7	2
12	2

yes

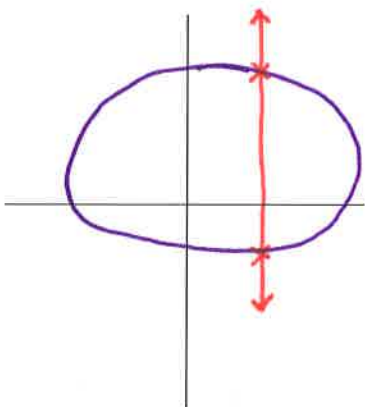
Q: How do we determine if a graph represents a function?

Vertical Line Test: A visual way to tell if a graph is a function
* if a vertical line passes through the line only once it is a function.

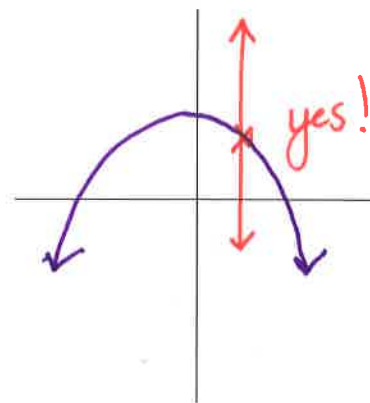
Ex 2: Determine if each graph represents a function.



yes!

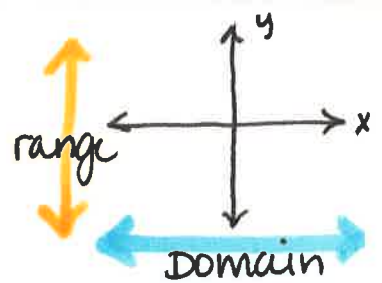


No!



yes!

Domain and Range



Domain: The set of all inputs (x-values)

Range: The set of all outputs (y-values)

Interval Notation: Way to express domain/range

ex)

Domain: $x \in [-3, 7)$

First x-value

last x value

"x is an element of"

First y-value

Range: $y \in (2, \infty)$

"y is an element of"

last y-value

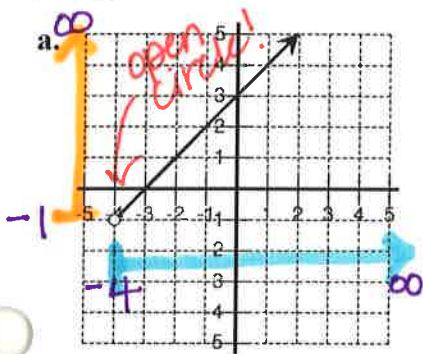
DOMAIN: Left $\rightarrow$ Right

RANGE: Bottom $\rightarrow$ Top

[] Brackets mean included!

() Parenthesis mean excluded!

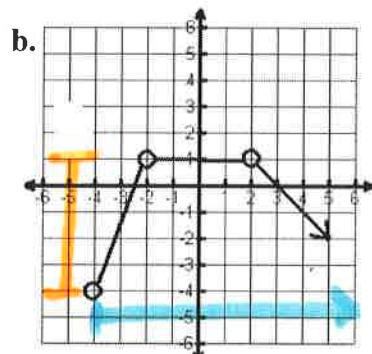
Ex 3: Determine if each relation is a function then state the domain and range using interval notation.



Domain: $x \in (-4, \infty)$

Range: $y \in (-1, \infty)$

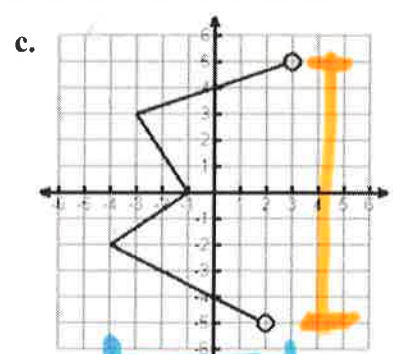
Function: yes



Domain: $x \in (-4, \infty)$

Range: $y \in (-4, 2)$

Function: yes



Domain: $x \in [-4, 3)$

Range: $y \in (-5, 5)$

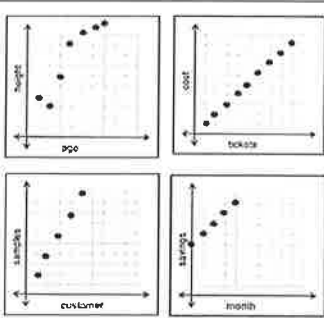
Discrete and Continuous Graphs

Discrete & Continuous Functions

Continuous Function: A function that includes all real #'s
(Line)

Discrete Function: A function that only includes whole #'s
(dots)

DISCRETE



CONTINUOUS

